Machine Translation 1: Word alignments

Computational Linguistics

Alexander Koller

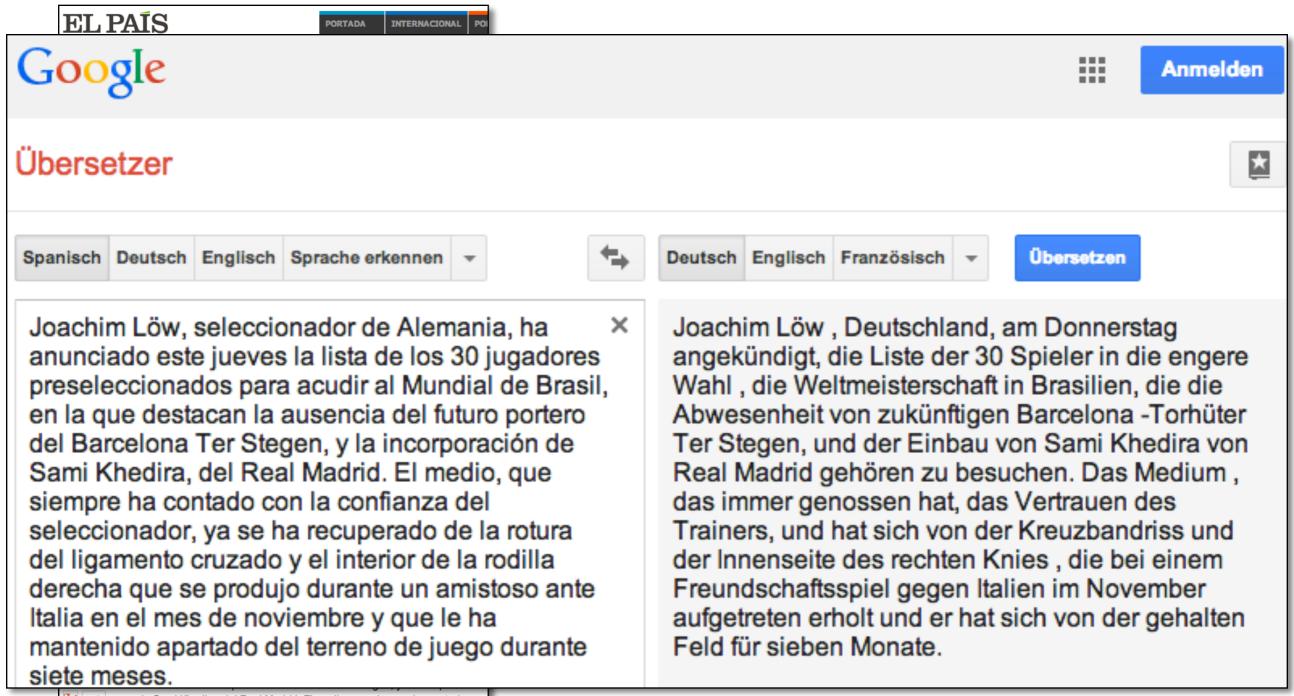
18 December 2018

slides contain material from mt-class.org

Google Translate

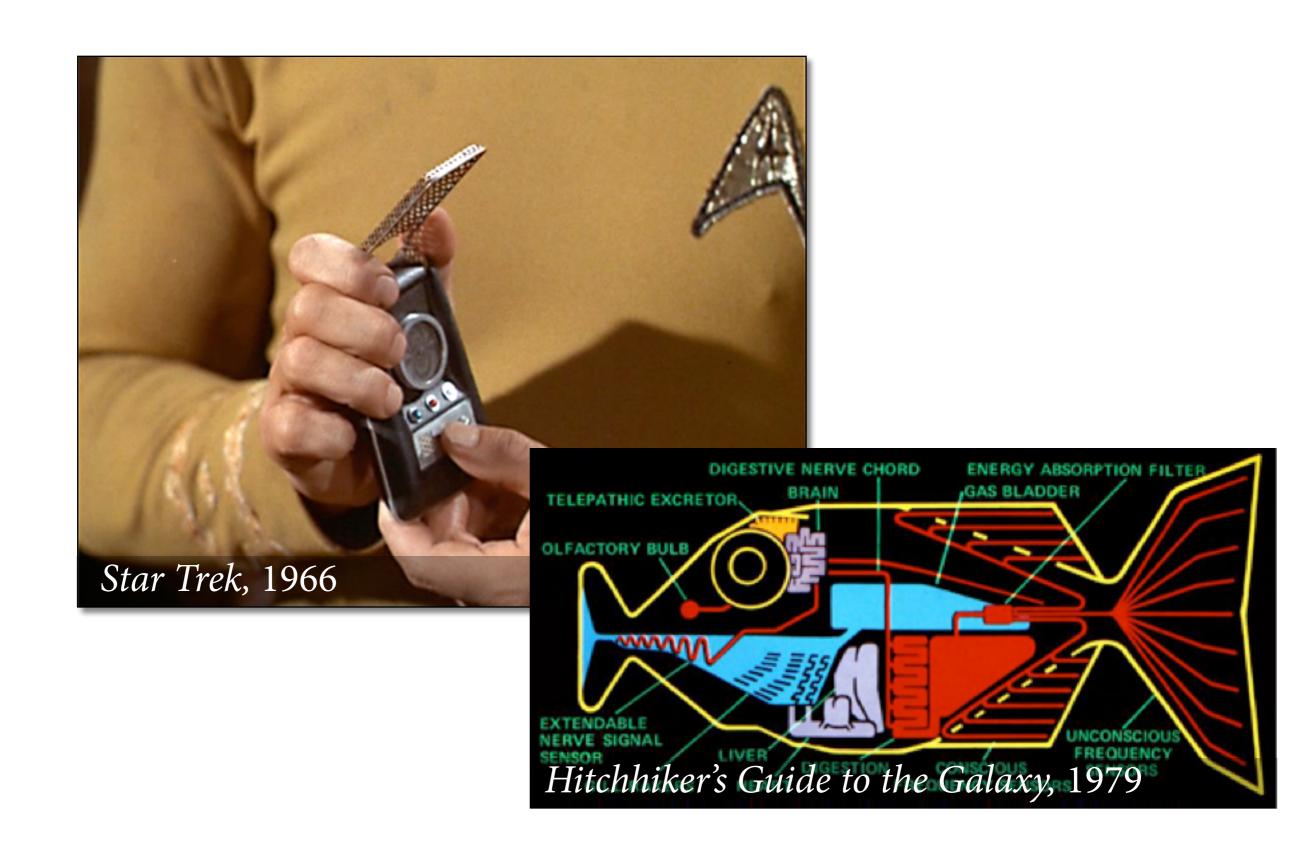


Google Translate

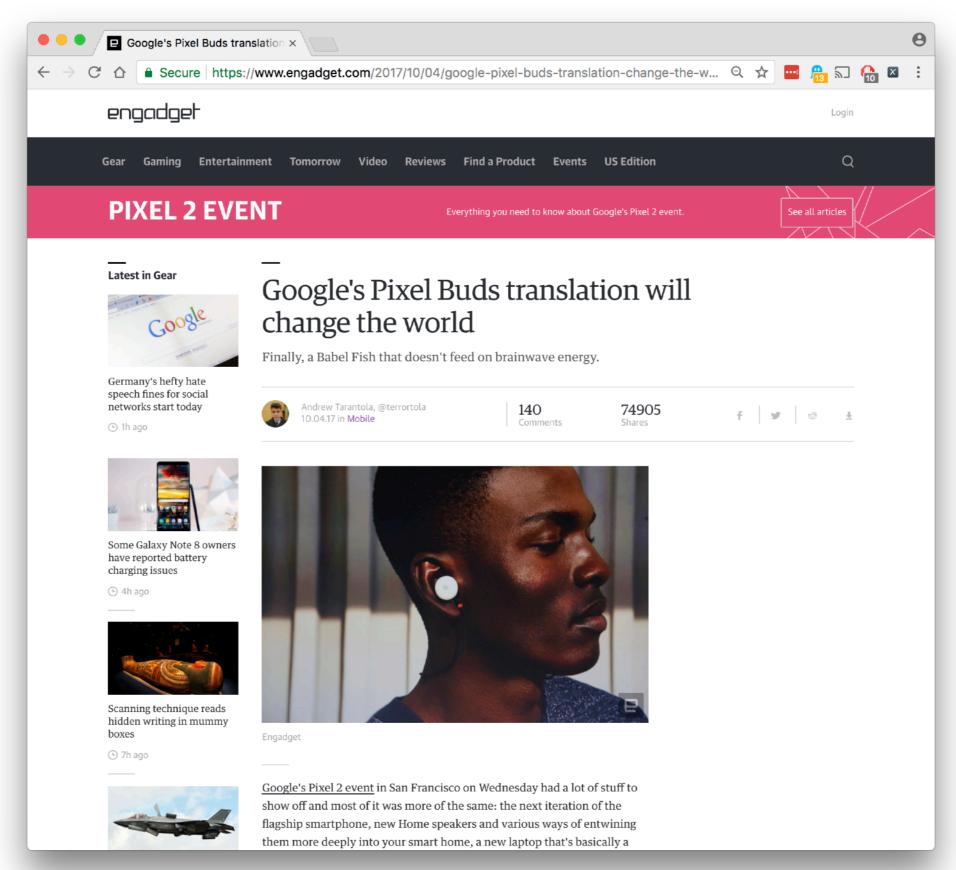


de Sami Khedira, del Real Madrid. El medio, que siempre ha contado con la confianza del seleccionador, ya se ha recuperado de la rotura del ligamento cruzado y el interior de la rodilla derecha que se produjo durante un amistoso ante Italia en el mes de noviembre y que le ha mantenido apartado del terreno de juego durante siete meses.

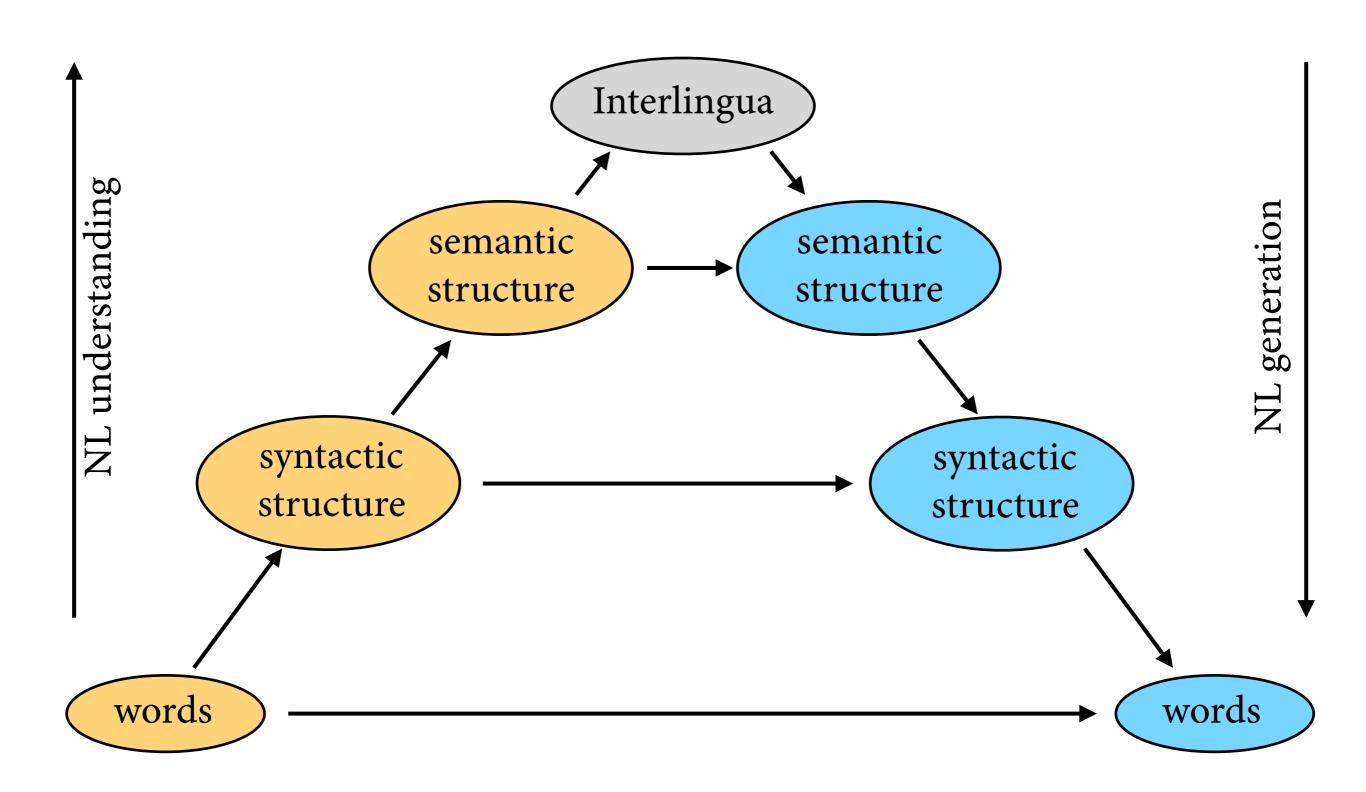
Automatic Translation



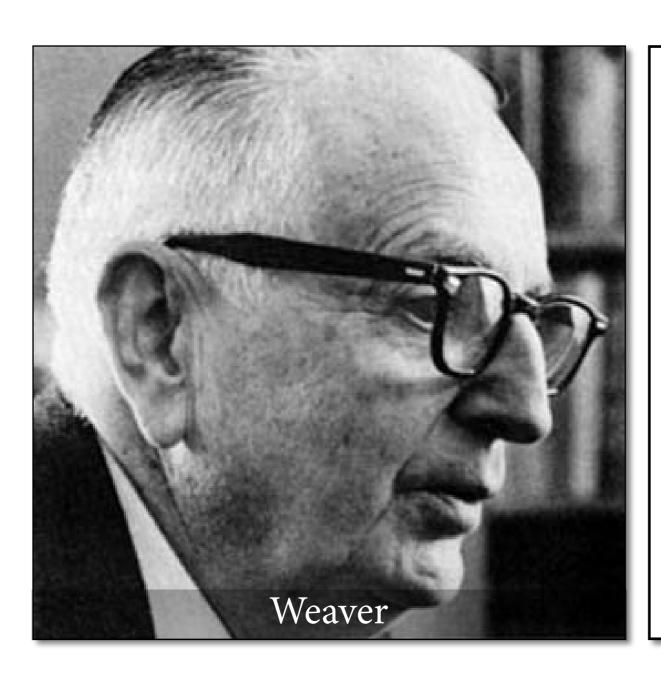
Google Pixel Buds, 2017



Classical view on translation



Early History

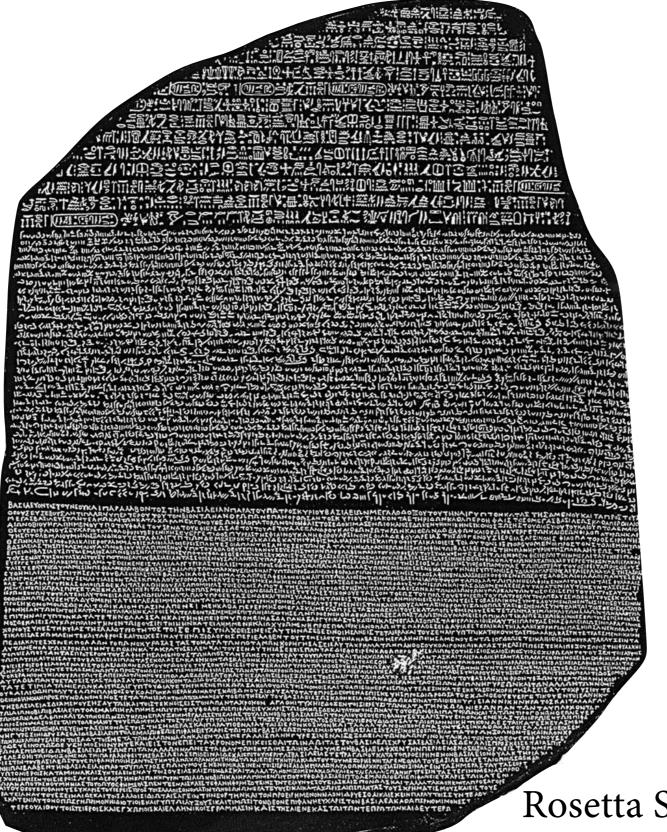


One naturally wonders if the problem of translation could conceivably be treated as a problem in cryptography.

When I look at an article in Russian, I say: "This is really written in English, but it has been coded in some strange symbols. I will now proceed to decode."

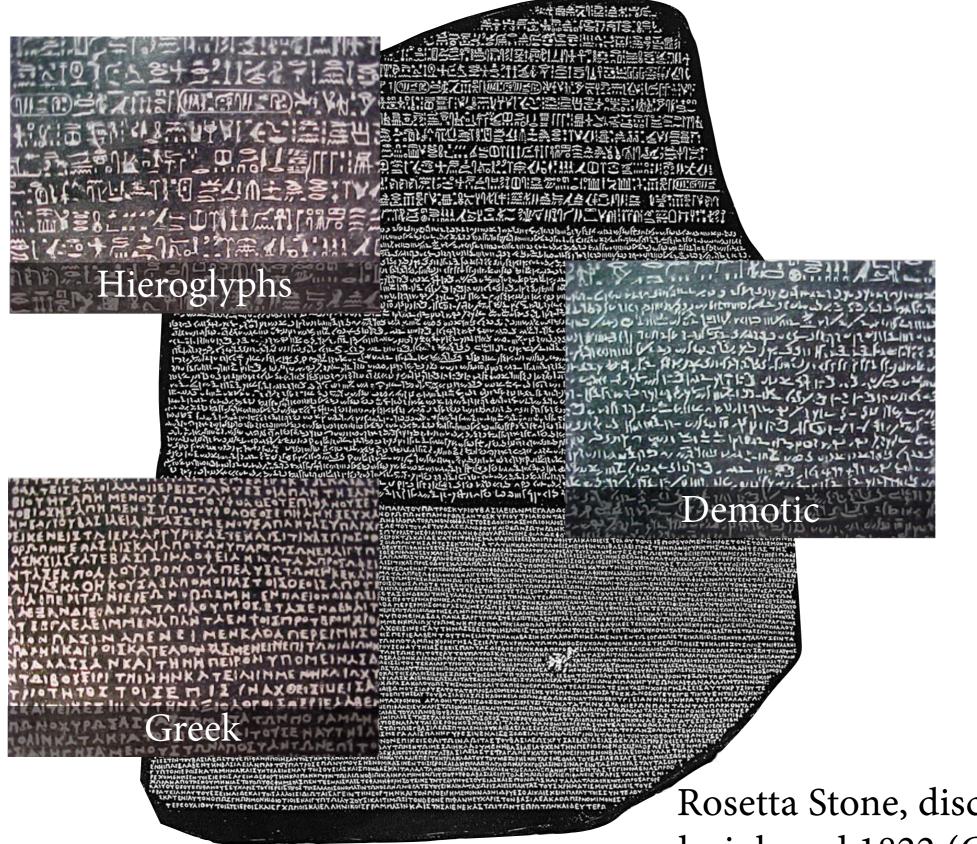
Warren Weaver to Norbert Wiener (1947)

Really Early History



Rosetta Stone, discovered 1799; deciphered 1822 (Champollion)

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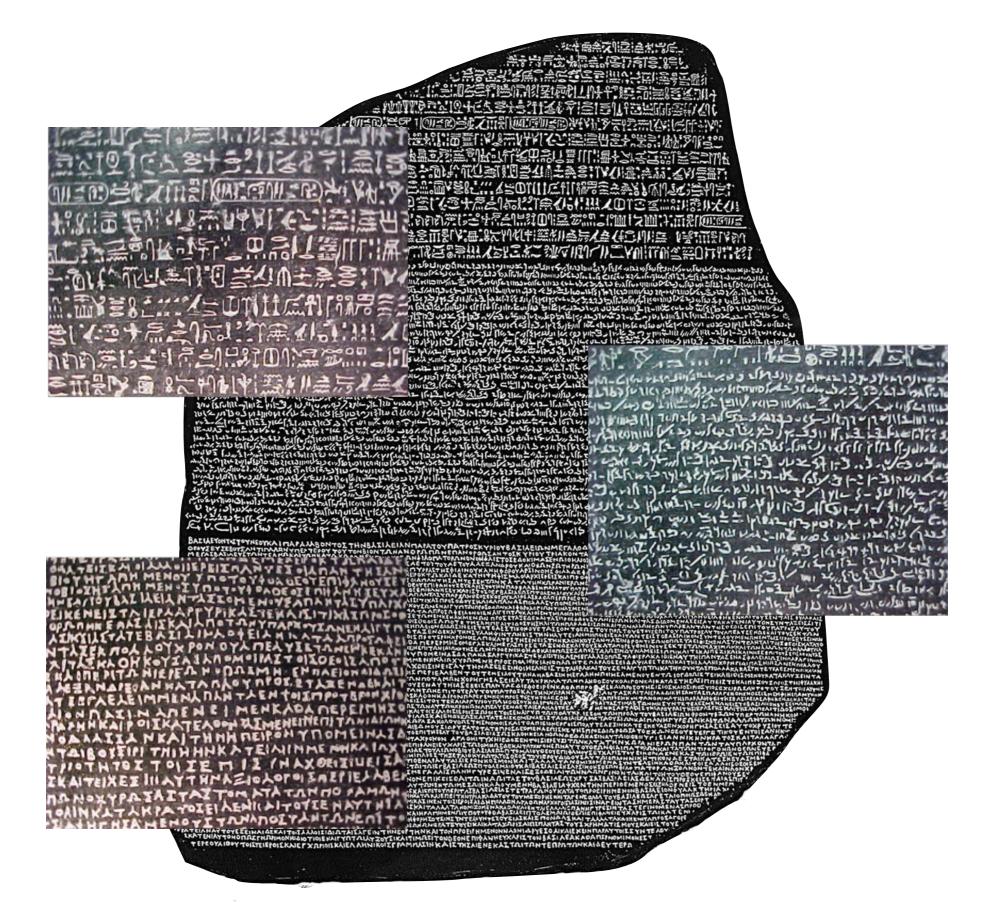
Types of MT systems

- What's it for?
 - fully automatic translation
 - support for human translators
- How does it work?
 - rule-based
 - statistical
 - neural
- Neural methods: see Language Technology II
 Here: elementary statistical methods

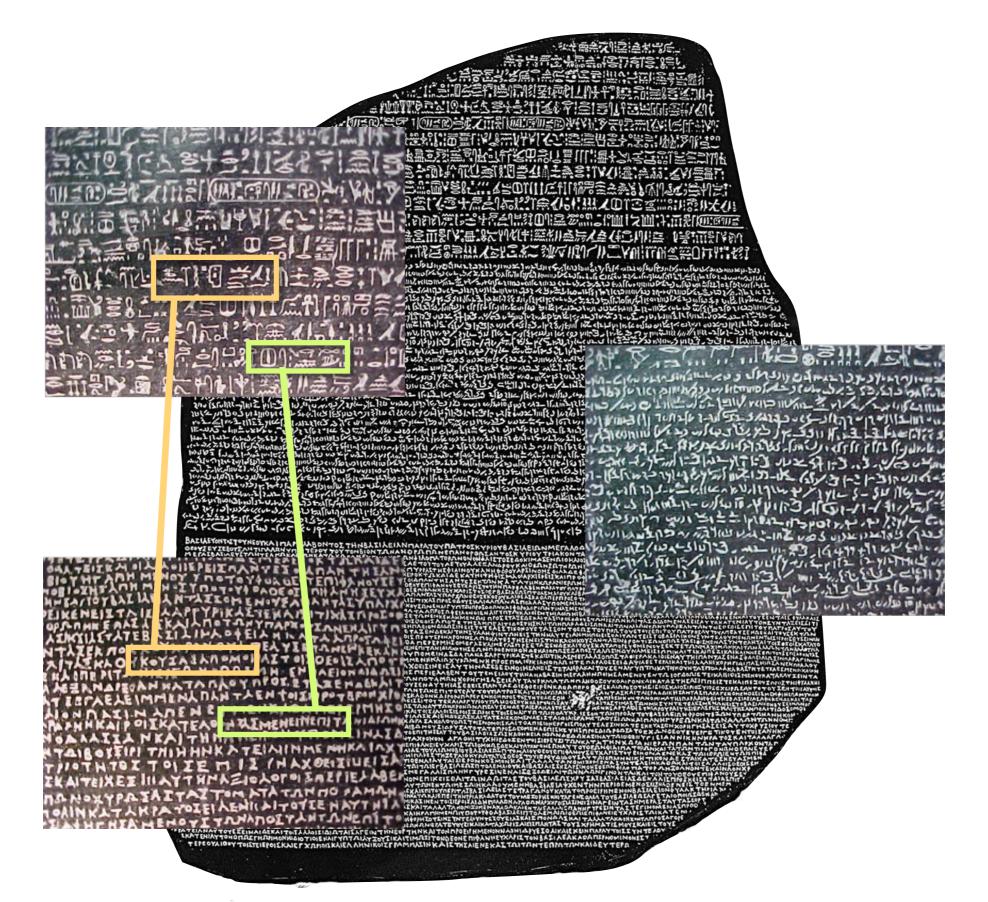
Corpora

- Learning translation models requires parallel corpora: text in one language with its translation in another.
- Popular parallel corpora:
 - ▶ Hansards (Canadian parliament): English/French
 - ▶ Europarl (European parliament): EU member languages
 - ▶ Literary texts with their translations (e.g. bible)

Step 1: Lexical Alignment



Step 1: Lexical Alignment



Lexical Translation

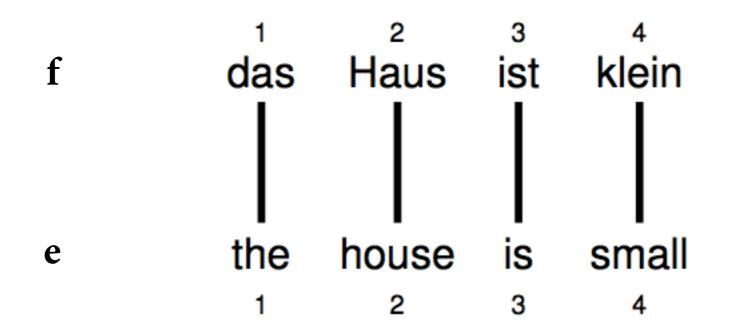
- We want to learn a model P(e | f):
 - e = "English" word (target language)
 - ▶ f = "French" word (original, foreign language)
- Gives a naive translation model for P(e | f).
 (Boldface e, f are English, Foreign sentences.)
- Linked to idea of word alignments.
 - alignments often independently useful (e.g. parse tree projection)

Word alignments

Garcia and associates . \ \ \ / Garcia y asociados .	the clients and the associates are enemies . \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \
Carlos Garcia has three associates . \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \	the company has three groups . \
his associates are not strong. \ \ \ / sus asociados no son fuertes.	its groups are in Europe . / / / sus grupos estan en Europa .
Garcia has a company also . Garcia tambien tiene una empresa .	the modern groups sell strong pharmaceuticals and the self-self-self-self-self-self-self-self-
its clients are angry . ///// sus clientes estan enfadados .	the groups do not sell zanzanine.
the associates are also angry . los asociados tambien estan enfadados .	the small groups are not modern . / \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \

Alignment

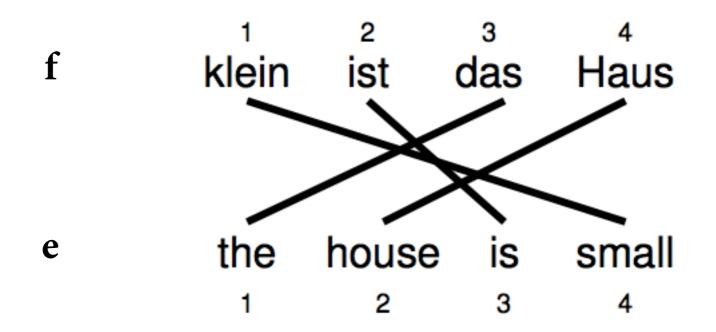
• Alignments can be visualized by drawing links between two sentences, and they are represented as vectors of positions:



$$\mathbf{a} = (1, 2, 3, 4)$$

Reordering

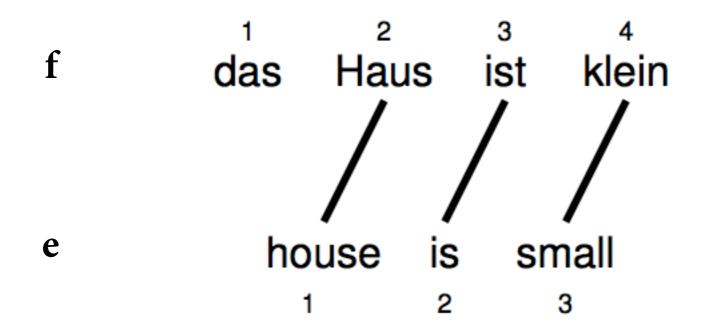
• Words may be reordered during translation.



English word #1 aligned with Foreign word #3 $\mathbf{a} = (3, 4, 2, 1)$

Word Dropping

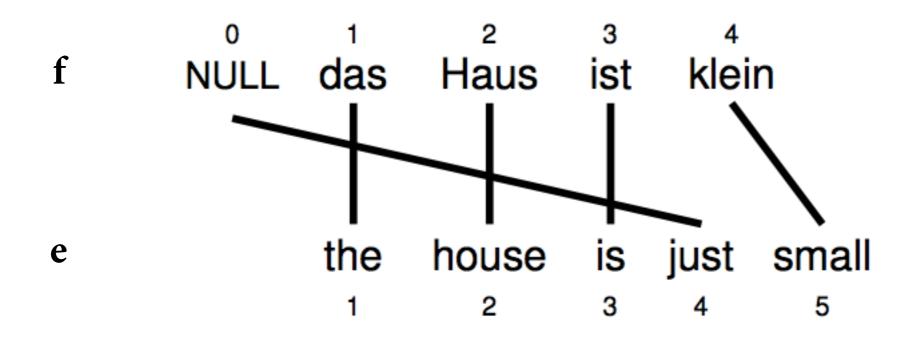
• A source word may not be translated at all ("1" does not occur as a_i for any English position i)



$$\mathbf{a} = (2, 3, 4)$$

Word Insertion

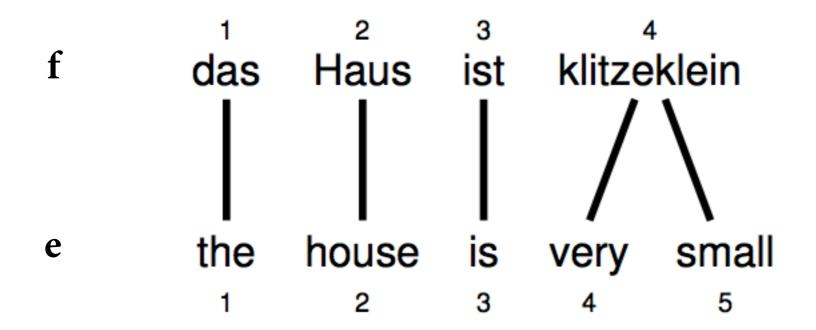
- Words may be inserted during translation
 - ▶ English "just" does not have an equivalent
 - record this by aligning with special NULL token at "position 0"



$$\mathbf{a} = (1, 2, 3, 0, 4)$$

One-to-many Translation

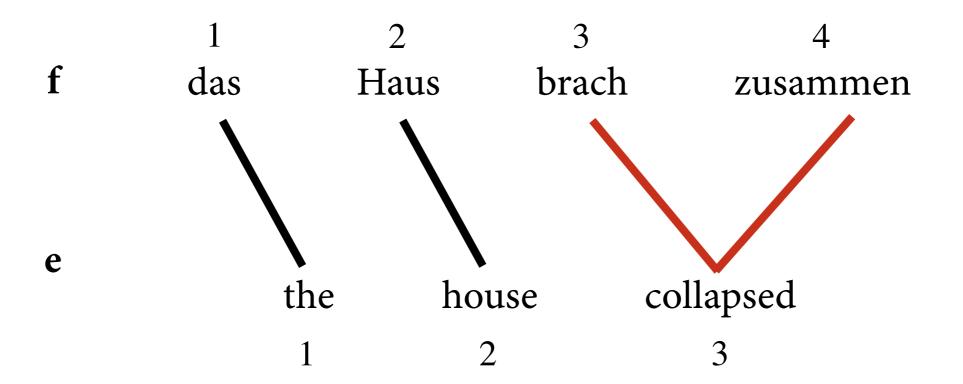
• A Foreign word may translate into *more than one* English word.



$$\mathbf{a} = (1, 2, 3, 4, 4)$$

Many-to-one Translation

• *More than one* Foreign word may *not* translate into a single English word (can't represent this).



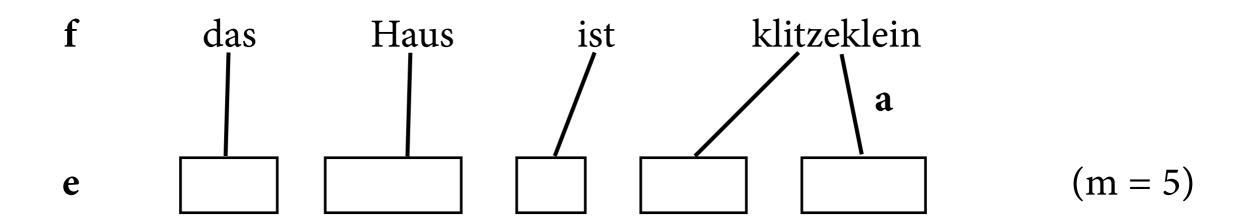
$$a = ????$$

• Generative story: Given Foreign string **f** and length m of English string, alignments **a** and English string **e** are generated randomly.

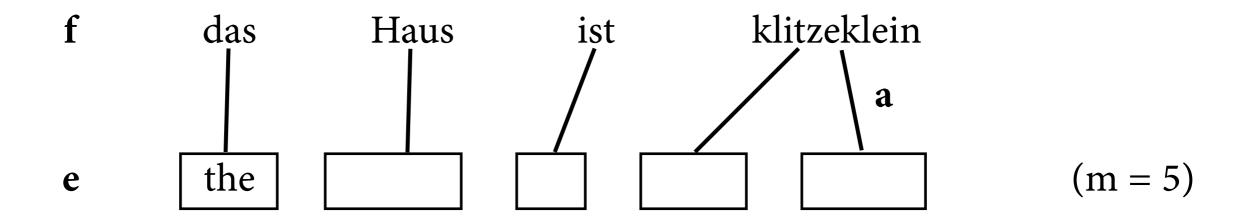
f das Haus ist klitzeklein

e m = 5

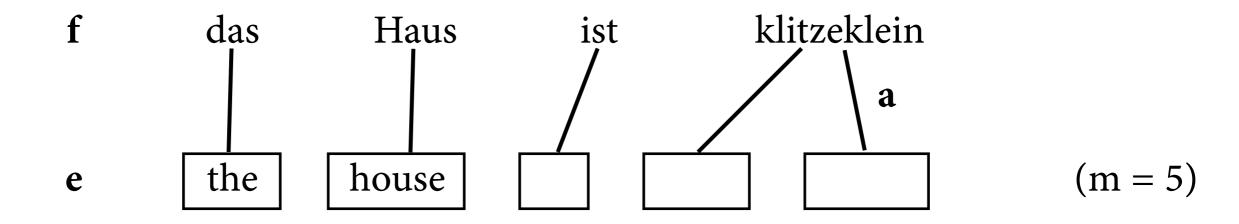
- Model $P(\mathbf{a}, \mathbf{e} \mid \mathbf{f}, \mathbf{m}) = P(\mathbf{e} \mid \mathbf{a}, \mathbf{f}, \mathbf{m}) * P(\mathbf{a} \mid \mathbf{f}, \mathbf{m}).$
 - ▶ obtain $P(e \mid f, m)$ by marginalizing a out \rightarrow translation
 - ▶ obtain $P(\mathbf{a} \mid \mathbf{f}, m)$ by marginalizing \mathbf{e} out \rightarrow compute alignments



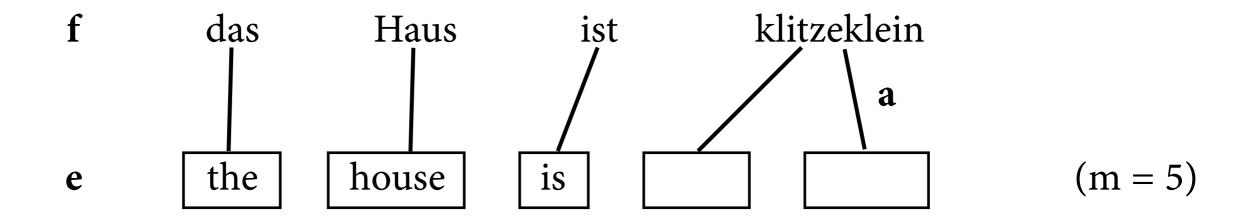
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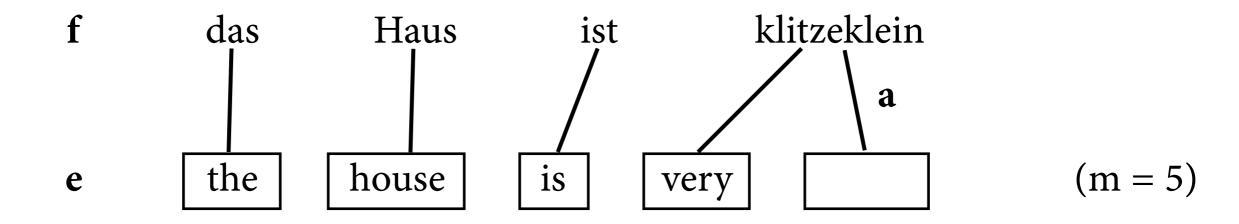
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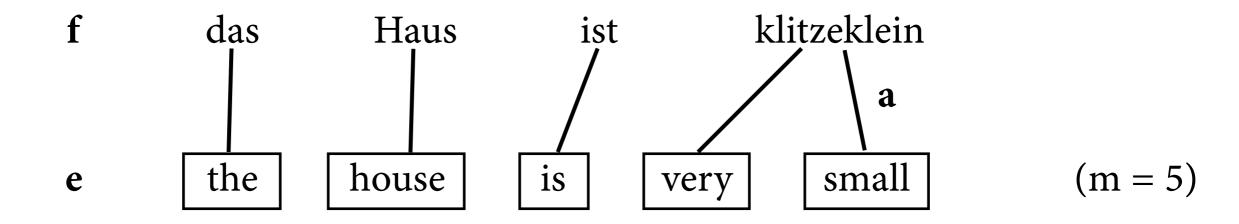
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 - ▶ obtain P(e | f, m) by marginalizing a out \rightarrow translation
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IBM Model 1





- Simplifying assumptions:
 - The alignment decisions for the *m* English words are independent.
 - ▶ The alignment distribution for each a_i is uniform over all source words and NULL.
 - The English words are generated independently, conditioned only on their aligned Foreign words.

```
for each i \in [1, 2, ..., m]
a_i \sim \text{Uniform}(0, 1, 2, ..., n)
e_i \sim \text{Categorical}(\boldsymbol{\theta}_{f_{a_i}})
```

IBM Model 1

for each
$$i \in [1, 2, ..., m]$$

$$a_i \sim \text{Uniform}(0, 1, 2, ..., n)$$

$$e_i \sim \text{Categorical}(\boldsymbol{\theta}_{f_{a_i}})$$

$$P(e_i, a_i \mid \mathbf{f}, m) = P(a_i \mid \mathbf{f}, m) \cdot P(e_i \mid a_i, \mathbf{f}, m) = \frac{1}{n+1} \cdot P(e_i \mid f_{a_i})$$

$$P(\mathbf{e}, \mathbf{a} \mid \mathbf{f}, m) = \prod_{i=1}^{m} P(e_i, a_i \mid \mathbf{f}, m) = \prod_{i=1}^{m} \frac{1}{n+1} \cdot P(e_i \mid f_{a_i})$$

$$P(\mathbf{e} \mid \mathbf{f}, m) = \sum_{\mathbf{a}} P(\mathbf{e}, \mathbf{a} \mid \mathbf{f}, m)$$

Example

das

e	t(e f)
the	0.7
that	0.15
which	0.075
who	0.05
this	0.025

Haus

e	t(e f)
house	8.0
building	0.16
home	0.02
household	0.015
shell	0.005

ist

e	t(e f)
is	8.0
's	0.16
exists	0.02
has	0.015
are	0.005

klein

e	t(e f)	f
small	0.4	(e
little	0.4	: P
short	0.1	
minor	0.06	
petty	0.04	t(e

$$= 1/125 * 0.8 * 0.8 * 0.4$$

= 0.002

$$\mathbf{a} = (2, 3, 4)$$

Computing best alignments

- Assume that we know parameters P(e | f) and we are given **e** and **f**. What is alignment **a** that maximizes P(**a** | **e**, **f**)?
- Because of independence of $a_1, ..., a_m$, can choose best aligned word in \mathbf{f} for each word in \mathbf{e} separately.

$$a_{i}^{*} = \arg \max_{a_{i}=0}^{n} \frac{1}{1+n} p(e_{i} \mid f_{a_{i}})$$
$$= \arg \max_{a_{i}=0}^{n} p(e_{i} \mid f_{a_{i}})$$

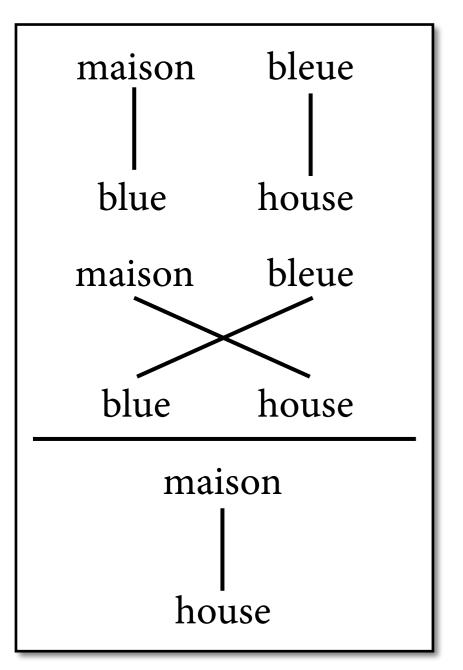
Training

$$p(\mathbf{e}, \mathbf{a} \mid \mathbf{f}, m) = \prod_{i=1}^{m} \frac{1}{1+n} p(e_i \mid f_{a_i})$$

- Parameters of our model: translation probs P(e | f) for any two words e and f.
- If we could observe alignments, then we could just do MLE: C(e aligned with f) / C(f)
- Because we usually only have raw parallel text, we need to use EM.
 - estimate counts from estimate of P
 - re-estimate P from estimated counts

EM: An Example

P(e f)	house	blue
maison	0.5	0.5
bleue	0.5	0.5



$$p(\mathbf{e}, \mathbf{a} \mid \mathbf{f}, m) = \prod_{i=1}^{m} \frac{1}{1+n} p(e_i \mid f_{a_i})$$

1. Compute P(e, a | f) for each alignment of each sentence pair.

$$P(e_1, a_{11} | f_1) = 1/9 * 1/2 * 1/2 = 1/36$$

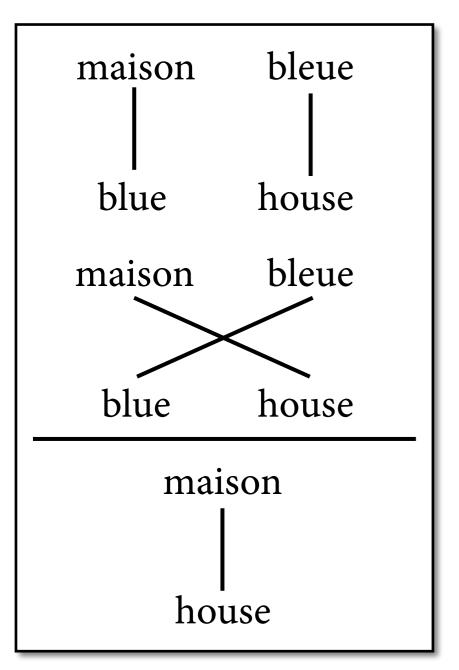
$$P(\mathbf{e}_1, \mathbf{a}_{12} | \mathbf{f}_1) = 1/9 * 1/2 * 1/2 = 1/36$$

$$P(\mathbf{e}_2, \mathbf{a}_2 \mid \mathbf{f}_2) = 1/2 * 1/2 = 1/4$$

(note: these are not really all alignments)

EM: An Example

P(e f)	house	blue
maison	0.5	0.5
bleue	0.5	0.5



2. Normalize $P(e, a \mid f)$ to yield $P(a \mid e, f)$.

$$P(\mathbf{a} \mid \mathbf{e}, \mathbf{f}) = \frac{P(\mathbf{a}, \mathbf{e} \mid \mathbf{f})}{P(\mathbf{e} \mid \mathbf{f})} = \frac{P(\mathbf{a}, \mathbf{e} \mid \mathbf{f})}{\sum_{\mathbf{a}'} P(\mathbf{a}', \mathbf{e} \mid \mathbf{f})}$$

$$P(\mathbf{a}_{11} \mid \mathbf{e}_1, \mathbf{f}_1) = 1/2$$

3. collect expected counts

	tc	house	blue	
$P(\mathbf{a}_{12} \mathbf{e}_1, \mathbf{f}_1) = 1/2 \longrightarrow$	maison	3/2	1/2	
	bleue	1/2	1/2	

$P(\mathbf{a}_2 \mid \mathbf{e}_2, \mathbf{f}_2) = 1$

EM: An Example

4. Normalize expected counts $C(\mathbf{e}, \mathbf{f})$ by total expected counts $C(\mathbf{f})$ to obtain revised translation probs $P(\mathbf{e} \mid \mathbf{f})$.

expected counts

tc	house	blue
maison	3/2	1/2
bleue	1/2	1/2

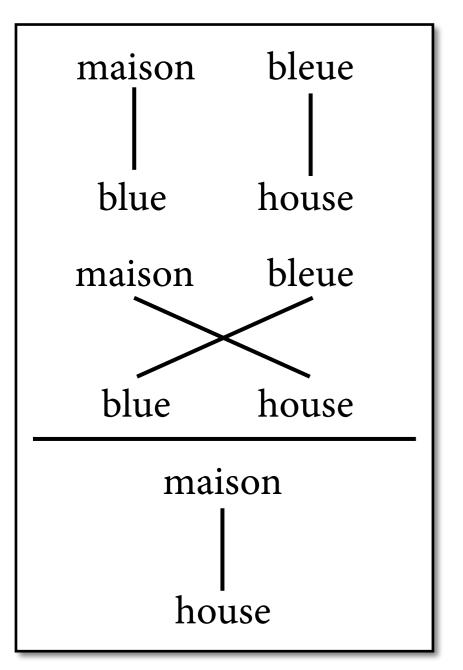
revised translation probs

P(e f)	house	blue
maison	3/4	1/4
bleue	1/2	1/2

EM: Round Two

P(e f)	house	blue
maison	3/4	1/4
bleue	1/2	1/2

$$p(\mathbf{e}, \mathbf{a} \mid \mathbf{f}, m) = \prod_{i=1}^{m} \frac{1}{1+n} p(e_i \mid f_{a_i})$$



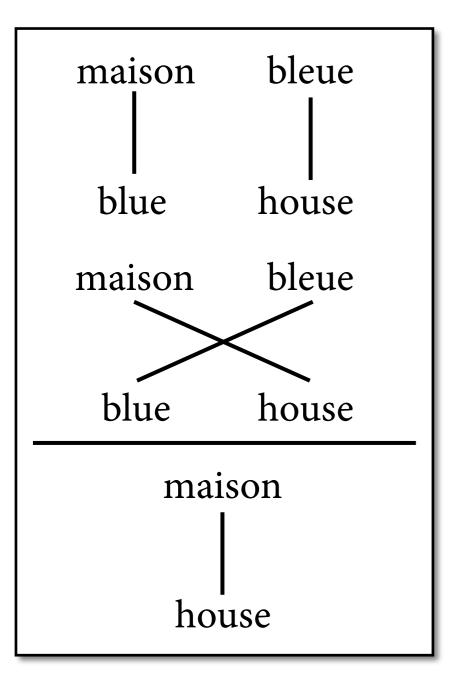
$$P(e_1, a_{11} | f_1) = 1/9 * 1/4 * 1/2 = 1/72$$

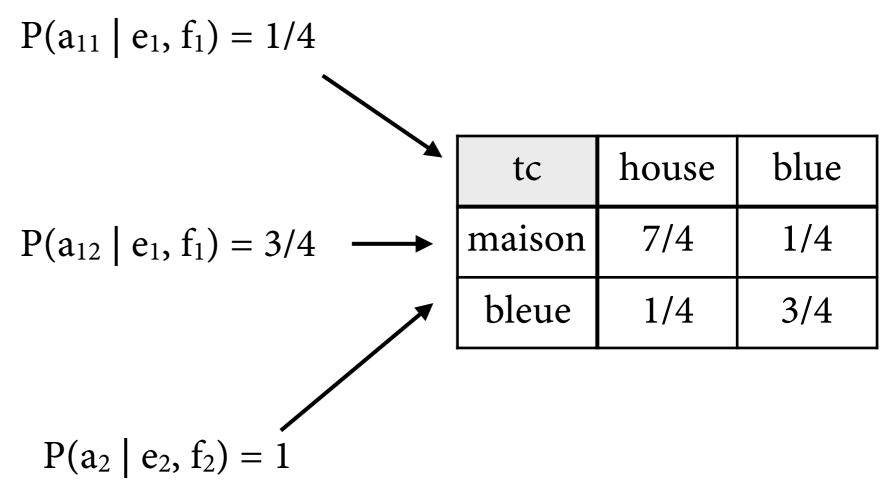
$$P(e_1, a_{12} | f_1) = 1/9 * 3/4 * 1/2 = 3/72$$

$$P(e_2, a_2 | f_2) = 1/2 * 3/4 = 3/8$$

EM: Round Two

P(e f)	house	blue
maison	3/4	1/4
bleue	1/2	1/2





EM: Round Two

expected counts

revised translation probs

tc	house	blue
maison	7/4	1/4
bleue	1/4	3/4

P(e f)	house	blue
maison	7/8	1/8
bleue	1/4	3/4

After many iterations:

P(e f)	house	blue
maison	≈ 1	≈ 0
bleue	≈ 0	≈ 1

Efficient computation

• Computation of $P(\mathbf{a} \mid \mathbf{e}, \mathbf{f})$ in E-step is tricky:

$$P(a_i = j \mid \mathbf{e}, \mathbf{f}) = \frac{P(a_i = j, \mathbf{e} \mid \mathbf{f})}{P(\mathbf{e} \mid \mathbf{f})} = \frac{\sum_{\mathbf{a}: a_i = j} \prod_{i'=1}^{m} P(e_{i'} \mid f_{a_{i'}})}{\sum_{\mathbf{a}} \prod_{i'=1}^{m} P(e_{i'} \mid f_{a_{i'}})}$$

- Summation over **a** is exponential in sentence length.
- By clever use of law of distributivity, can rewrite this term so it can be computed in quadratic time.
 See Lopez tutorial on website. (Note flipped e and f.)

Extensions

- IBM Model 2: P(a) not uniform, but implements reordering model that prefers alignments in which words stay close to their original position.
- Model 3: adds *fertility model* that predicts the number of English words to which a given f will be aligned. Can't do EM, approximate with sampling.
- Models 4-5: more complicated reordering models.
- Implemented in GIZA++ and successor tools.

Conclusion

- Machine translation: one of the most useful and most challenging disciplines of NLP.
- Today: word alignments.
 - ▶ IBM Model 1
 - computing best alignments
 - ▶ EM training
 - advanced models
- Next time: let's actually translate something.